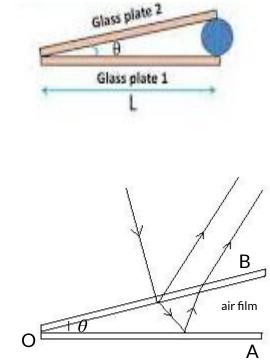
WEDGE SHAPED FILM

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WEDGE SHAPED FILM

- A thin film having zero thickness at one end and progressively increasing to a particular thickness at the other end is called a wedge.
- A thin wedge of air film can be formed by two glasses slides on each other at one edge and separated by a thinspacer at the opposite edge.
- Consider two plane surfaces OA & OB inclined at an angle θ and enclosing a wedge shaped air film. The thickness of the air film increases from O to A.
- The locus of all points having the same thickness of air film is a straight line.
- When monochromatic light is incident on the wedge from above, it gets partly reflected from the glass-to-air boundary at the top of the air film. The other Part of the light is transmitted through the air film and gets reflected at the air-to-glass boundary



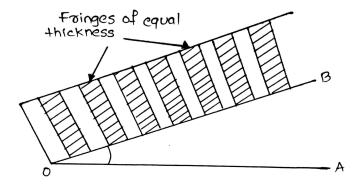
These two reflected rays interfere with each other and interference fringes are observed through the eyepiece. These are straight lines parallel to the edge of the wedge.

Total Path Difference = $2 \mu t \cos r + \lambda / 2$ (for thin films) for air film $\mu = 1 \&$ for normal incidence r = 0

 \therefore Path difference = 2t + λ / 2

 $\Rightarrow \quad \text{If } 2 t + \frac{\lambda}{2} = n \lambda \quad \text{bright fringe is obtained.}$ $\Rightarrow \quad \text{If } 2 t + \frac{\lambda}{2} = (2 n + 1) \frac{\lambda}{2} ,$

(or) $2t = n\lambda$ then dark fringe is formed.



Theory

If t $_{m}$ & t $_{n}$ corresponds to the thickness of air film of mth and nth dark fringes ,

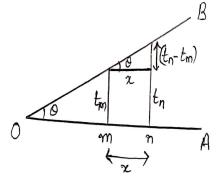
then
$$2t_{m} = m\lambda$$
 ------(1)
 $2t_{n} = n\lambda$ -----(2)

subtracting (2) from (1)

- we get $2(t_n t_m) = (n m)\lambda$ $(t_n - t_m) = (n - m)\lambda/2$ -----(3)
- From the figure $\tan(\theta) = (t_n t_m)/x$

Where x is the distance between mth and nth dark fringes As the angle of the wedge is very small,

$$\tan(\theta) = \theta = (t_n - t_m) / x$$
$$t_n - t_m = x^* \theta -----(4)$$





we know that

 $x/(n-m) = fringe width = \beta$

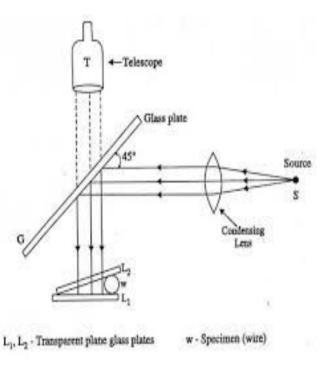
 $\beta = \lambda/2\theta$

If there is a film of refractive index μ then

Here β is independent of 'n'. So all fringes are equally spaced.

DETERMINATION OF DIAMETER OF THE WIRE :-

- If a wire is placed between two glass plates as shown in the fig. then wedge shaped air film is formed between these two glass plates.
- S is a monochromatic source of light.
- The light from S is made parallel by means of a convex lens. These parallel rays are allowed to incident on a plane glass plate 'G' which is making an angle 45° with the path of the beam
- The light reflected from G, falls on this combination and interference fringes are observed through a microscope.



The vertical cross wire is made to coincide with one of the bright fringes say mth fringe and the reading is noted . The microscope is is moved until the crosswire coincides with the nth fringe. Again the reading is noted . The difference of these two readings is equal to the distance moved by the microscope (x).

Then fringe width (β) = x/n-m

If 'd' is the diameter of the wire , I is the distance between the Point of conact of the plates and wire then

$$\begin{array}{c} 0 \\ \hline 1 \\ \hline 1 \\ \hline \end{array} \begin{array}{c} A \end{array} \end{array}$$

$$\tan \theta = d/l$$

 $\theta = d/l$ (since θ is small) ------ (6)

Fringe width
$$\beta = \lambda/2\mu\theta$$
 from eq(5)
 $\theta = \lambda/2\mu\beta$ -----(7)

From (6) & (7)

 \therefore Diameter of the wire

$$rac{\lambda}{2\mueta}=rac{d}{l} \ d=rac{\lambda l}{2\mueta}$$

Using this formula 'd' can be calculated.